# Improving the New Business Opportunity Process Using a Decision Support Tool and Optimization









- Figure 4: Data Provided and Categorized for Analysis

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Team Members: Coleman Crouch, Jaylan Matthews, Tara Minmier, Reid Skinner, Kaitlin Smithey (Project Manager) Industry Partners: Chris Schock, Alex Andelman, Tony Woods Faculty Advisor: Dr. Ashlea Bennett Milburn

• Performs analysis on tractors and trailers separately



Figure 8: Dendrogram Output for AHC of Tractors, Trailers, and Driver Difficulty

**Agglomerative Hierarchical Clustering** (AHC) is a bottom-up algorithm that sets each data point as a single cluster, and then combines clusters at each step. We used AHC to cluster accounts based on trailers, tractors, and driver difficulty levels. This analysis was done in R.



Seasonality Analysis:

the data set. The forecasts are compared to identify differing peaks in seasonality.

We tested single, double, and triple exponential smoothing by forecasting the first 34 weeks of 2018 compared to the actual values for these weeks to calculate forecast error. Holt Winters was selected because it considers value, trend, and seasonality factors in the data. The Holt Winters method in R was used to forecast 52 weeks (2019 data).

## **Decision Support Tool:**



Description	Monetary Value
Cost to hire a surge driver	\$7500
Surge driver costs for top 10 DCS customers	\$356.8 M /year
Project Impact (1/5 of overall surge costs)	\$535,000 /year





Triple exponential smoothing (Holt Winters method) was used to forecast account volume for each account in

advantage to the customer over the competition based on less required drivers



## Utilizing a Linear Optimization Model to Cluster J.B. Hunt DCS Accounts

### **Background:**

After creating our decision support tool, we realized there was room for improvement to help the design engineer by providing one recommendation that took multiple factors into account. We decided to create a linear optimization model for our project in order to integrate the driver difficulty level, seasonality correlation factors, and the equipment requirements. The objective function is used as a clustering heuristic to place every account in the data set into a cluster with at least one other account based on similarities.

This model utilizes a weighted objective function to accommodate for these factors and assign relative importance to each of the four items for consideration. This model was run in AMPL using CPLEX solver. We created pairwise variables to enable the use of matrices to compare accounts for simplicity, and to keep our model linear.



## **Objective Function:**

$$\begin{aligned} Maximize \ (A * \sum_{i} \sum_{j} driver[i, j] * X[i, j]) + (B * \sum_{i} \sum_{j} season[i, j] * X[i, j]) + (C * \sum_{i} \sum_{j} trailer[i, j] * X[i, j]) + (D * \sum_{i} \sum_{j} tractor[i, j] * X[i, j]) \\ & \underset{level 2: 1, 2, 3, 4}{ level 4: 1, 2, 3, 4, 5} & 1 \end{aligned}$$



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This objective function takes into consideration the driver difficulty level, seasonality correlations, and equipment (trailers and tractors) requirements for all the accounts within the data set. This function utilizes weighted factors to give relative importance to certain aspects and seeks to maximize the fit of every account within its respective cluster for each of the 10 clusters. The optimization model is pairwise and compares all accounts i to all accounts j.



	Accounts I						
		ANB	ARM2	CB3	CU2		Clusters K
<b>_</b>							1: ANB, CB3
nts .	ANB	1	0.843	0.981	0.365		2
Ino	ARM2	0.843	1	0.452	0.423		3
Aco						-	4
	CB3	0.981	0.452	1	0.856		5
	CU2	0.365	0.423	0.856	1		

Constrains the model so every account i can only be in one cluster k

Limits the size of the clusters to no more than 10 accounts

Limits the size of the clusters to no less than 2 accounts to ensure each account is paired with at least one other account

Links together variable Z and Y. If account i is in cluster k, the value of Y would be 1, and the value of Z could be 1 or 0. The less than or equal to sign is used because accounts i and j might not both be in cluster k which would make Z equal to 0. We had to use 2 constraints to ensure every possible combination of i and j was constrained.

Compares the X and Z variables which impacts the objective function. If accounts i and j appear together in cluster k, the z variable will be equal to 1

$$X[i,j] \leq \sum_{k} Z[j,i,k] \quad \forall i,j \text{ where } i \neq j \quad (7) \quad \int \sum_{k} Z[i,j,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (8) \quad \int \sum_{k} Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad \int Z[j,i,k] \leq 1 \quad \forall i,j \text{ where } i \neq j \quad (9) \quad (1) \quad (1) \quad (1) \quad (2) \quad (2) \quad (2) \quad (3) \quad ($$

## which forces X to be 1 or 0. The X variable when equal to 1 allows for the objective function to find the maximized value of every pair. Every situation where i is equal to j is excluded from this constraint.

These constraints ensure for every pair of account i and j, they can be assigned to at most one cluster together. These constraints apply to every pairing except for where account i is equal to account j.

### **Results:**

Our linear optimization model created a clustering heuristic dividing the 39 training accounts into 10 clusters. The AMPL output of the Y variable shows each of the 10 clusters and the corresponding accounts.

This model and output allowed us to create our own clustering heuristic algorithm maximizing similarities based on driver difficulty, seasonality, tractors, and trailers. The model run time was 6 hours which presented a solution with 32% gap.

				Clust	ters				
1	2	3	4	5	6	7	8	9	10
٩NB	JRD	CU2	CARD	ARM2	CB7	TG2	JH	DBM	CB
CB3	T-C	MVS	CB8	TG4	ОМ	W-E	WL2	HPB	CB
			SMI					<b>MF13</b>	CB
			TFP					MF2	CB
			ΥΑΑ					MF3	CB
								MF5	EH
								MF6	M
								MF8	PA
								MF9	PA
								РР	SI

In conclusion, this optimization model was able to use four different account characteristics to create one clustering heuristic. The model successfully placed the accounts inside 10 clusters based on best fit.

One area to improve this model would be extensive sensitivity analysis on the weights associated with each part of the objective function, and on the number of clusters. This would require expert knowledge to determine what clusters best represent the system.